

Formalizing Interruptible Algorithms for Human *over-the-loop* Analytics

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Key Problems

Learning algorithms are completely autonomous.

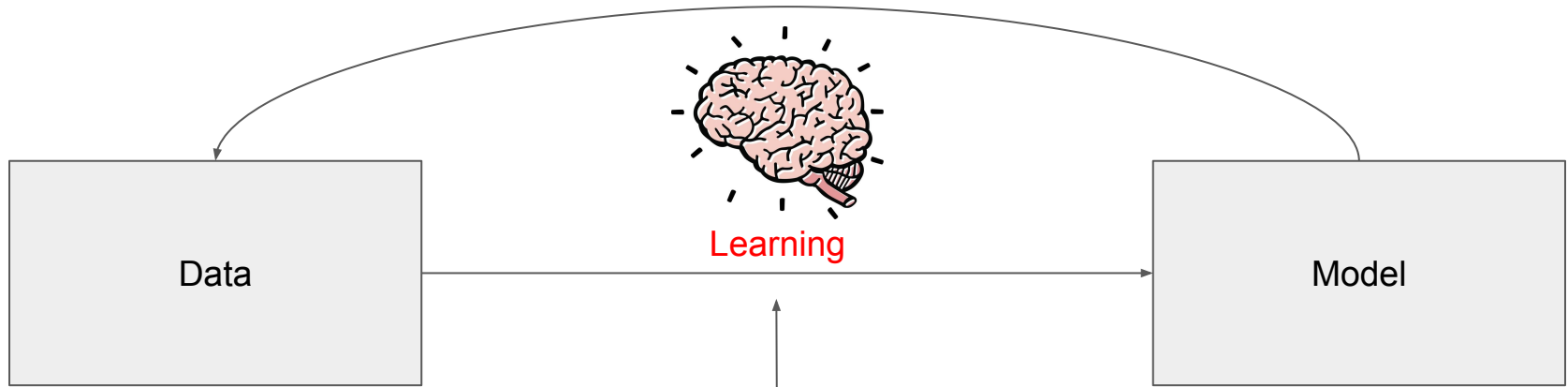
Predictive models are hard to digest.

Humans are slow thinkers.



$$\begin{aligned}
& (x-2)^2(y-2x+2)^2(y+2x-10)^2(x-4)^2(y-2x+8)^2(y+2x-16)^2\left(y-3-3\left\lfloor x-\frac{11}{2}\right\rfloor^2\right)^2(x-8)^2 \\
& \cdot\left(y-2-3\left\lfloor \frac{x-8}{2}\right\rfloor^2\right)^2(x-11)^2\left(y-\frac{1}{2}x+\frac{5}{2}-3\left\lfloor \frac{x-11}{2}\right\rfloor^2\right)^2\left(y+\frac{1}{2}x-\frac{17}{2}-3\left\lfloor \frac{x-11}{2}\right\rfloor^2\right)^2(x-15)^2 \\
& \cdot\left(y-4-3\left\lfloor \frac{x-14}{2}\right\rfloor^2\right)^2(y-2x+52)^2(x-17)^2(y+x-21)^2(x-19)^2(y-x+17-3\lfloor x-20\rfloor^2)^2 \\
& \cdot(y+x-23-3\lfloor x-20\rfloor^2)^2(y-x+19-3\lfloor x-21\rfloor^2)^2(y-3-3\lfloor x-21\rfloor^2)^2(x-25)^2\left(y+\frac{1}{4}x-\frac{41}{4}-3\left\lfloor \frac{x-25}{2}\right\rfloor^2\right)^2 \\
& \cdot\left(y-\frac{1}{8}x-\frac{1}{8}-3\left\lfloor \frac{x-25}{2}\right\rfloor^2\right)^2\left(y+\frac{5}{8}x-\frac{151}{8}-3\left\lfloor \frac{x-25}{2}\right\rfloor^2\right)^2(y-2x+54)^2(y+2x-62)^2\left(y-3-3\left\lfloor x-\frac{57}{2}\right\rfloor^2\right)^2 \\
& \cdot(x-31)^2(y+x-35)^2(x-33)^2(x-34)^2\left(y+\frac{1}{2}x-21-3\left\lfloor \frac{x-34}{2}\right\rfloor^2\right)^2\left(y-\frac{1}{2}x+15-3\left\lfloor \frac{x-34}{2}\right\rfloor^2\right)^2 \\
& \cdot((x-38)^2+(y-3)^2-1)^2(x-40)^2(y+2x-84)^2(y-2x+80)^2(x-42)^2(x-43)^2\left(y-2-3\left\lfloor \frac{x-43}{2}\right\rfloor^2\right)^2 \\
& \cdot(y-3-|x-47|)^2((x-47)^2+(y-3+\sqrt{y^2-6y+9})^2)^2+(y^2-6y+8+\sqrt{y^4-12y^3+52y^2-96y+64})^2=0
\end{aligned}$$

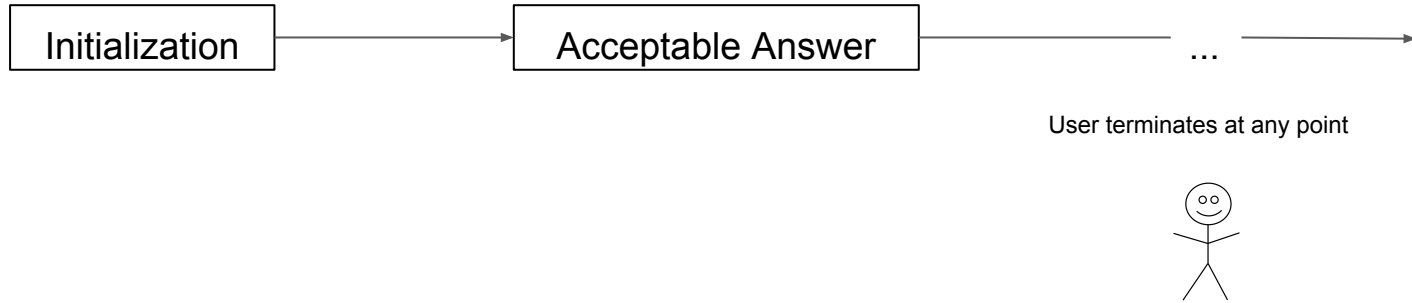




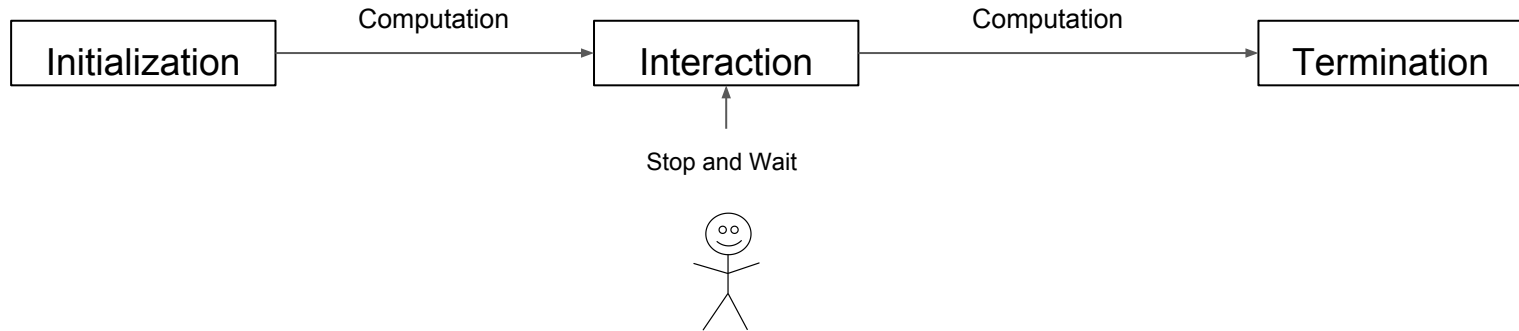
Can I help?



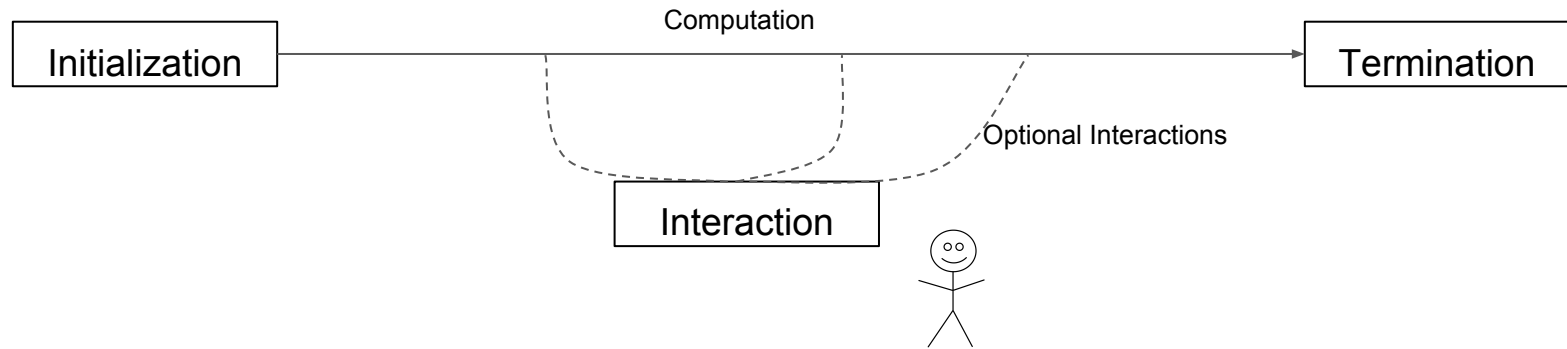
Anytime Algorithms



Interactive Algorithms



Interruptible Algorithms



How can I help?

Repose the
question



Change model
attributes

Give more
information



Add/Remove
data





*Key phrase: might as well
start over*

Minimally Increase Execution Time for Better Results

$$I_{A,U} > O(A) / O(C)$$

How hard the algorithm is

How hard the change is

*Greater than 1:
Okay to interrupt*

*Less than 1:
Just start over*



Key Questions

What kind of changes can be made to positively affect outcomes?

How do I know I've made things worse?



Visualization

Is there a model agnostic way to visualize learning?

Will the visualizations be readable to non-experts?

In what contexts will humans have enough time to react?

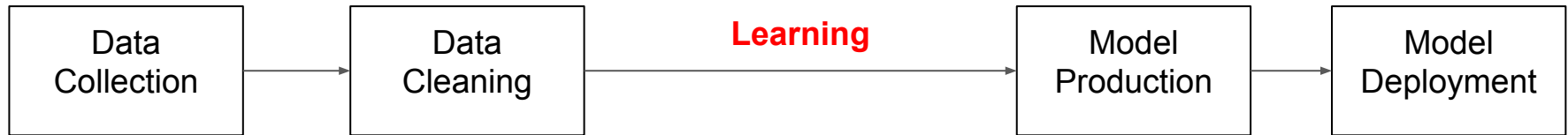


Questions?



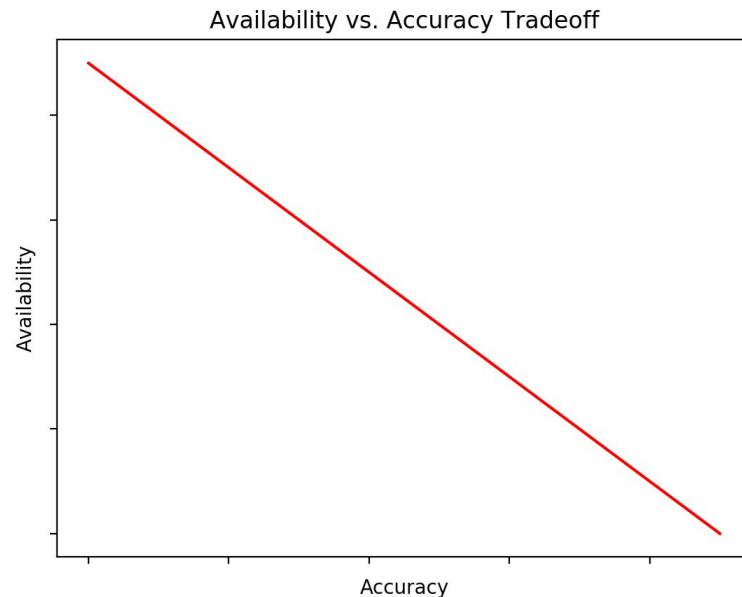
Motivations - Data Mining and Machine Learning

- Long running
 - Days, Weeks
 - Changes in parameters must be made *a posteriori*
- Static
 - Changing data means re-training model



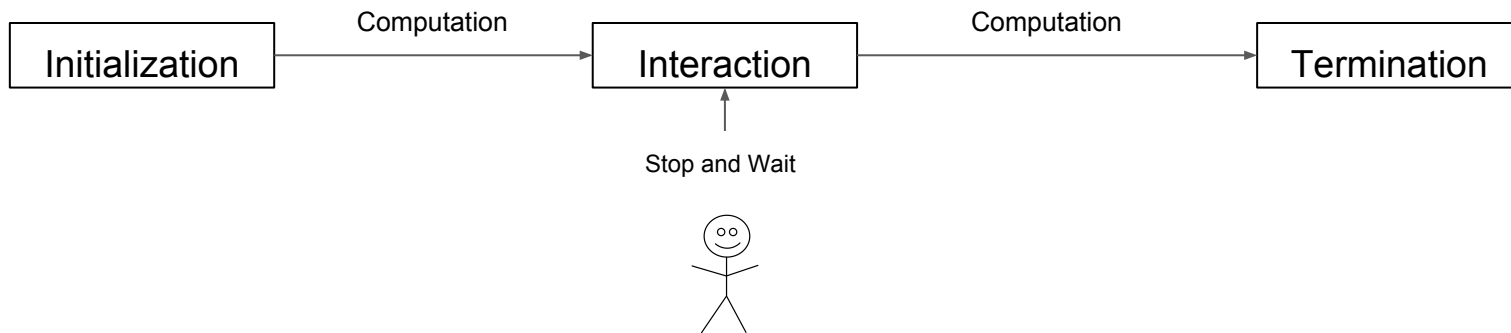
Humans Getting Involved

- Interactive
 - Humans *IN*-the-loop
 - Focus on model accuracy
- Anytime
 - Humans *ENDING*-the-loop
 - Focus on model availability
- Interruptible
 - Humans *OVER*-the-loop
 - Manage the accuracy/availability tradeoff



Interactive Algorithms

- Learning models asking humans questions
 - Stop-and-wait conditions
- Improves accuracy with detrimental increases to runtime



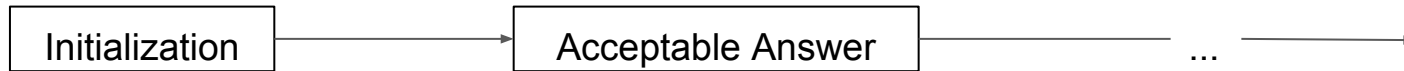
Example Interactive Approaches

- Awasthi et al.
 - Hierarchical clustering
 - Analyst can split/merge clusters at every level
- Lad and Parikh
 - Image clustering
 - Algorithm asks the analyst for the answer
- Amershi et al.
 - Clustering in social networks
 - Improvement happens on user choice



Anytime Algorithms

- Learning models build to an acceptable point, then improve until user says to stop or convergence
 - Assumes models improve with longer runtimes
- Allows analysts to train their comfort level



User terminates at any point



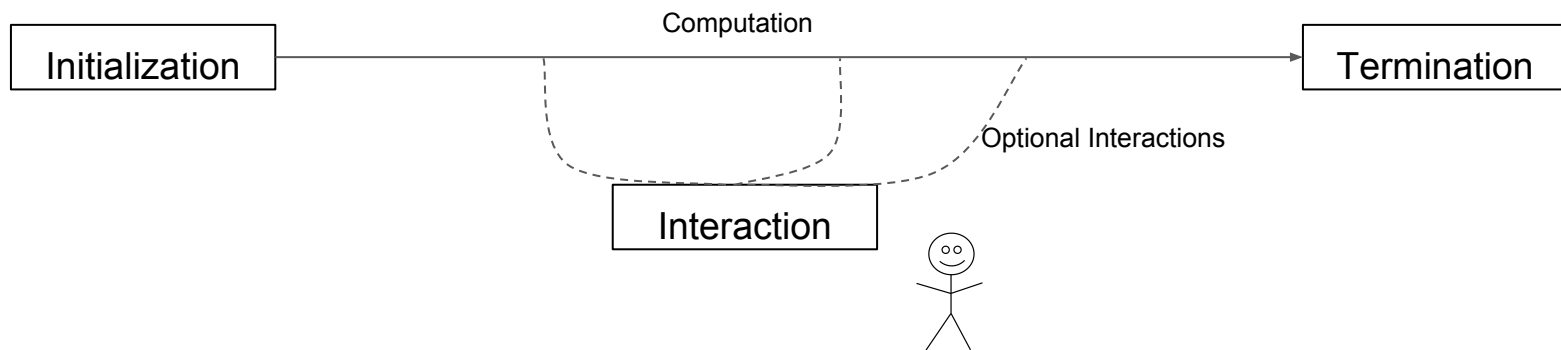
Anytime Approaches

- Ueno et al.
 - Stream mining
 - Anytime structure accounts for fluctuations in data streams
- Vlachos et al.
 - Time Series clustering
 - Coarse clustering for a rough estimate, then iteratively improve.



Meet in the Middle - Interruptible Algorithms

- Learning algorithms follow predefined behavior allowing analyst to make changes at available times
 - Analyst can intervene only if they find it necessary
- Increases in execution time depend on user involvement



The Interruptibility Index

- Measures change affects relative to the algorithm

$$I_{A,U} > O(A)/O(C)$$

- “Algorithm A is interruptible in attribute U if the ratio of the complexity of A to the complexity of a change C in U is > 1 ”

$$I_{A,U} > I_{A,S}$$

- “If the interruptible index in attribute U for algorithm A is greater than the interruptibility index in attribute S , then the change in U is less interruptible than the change in S ”



HOLA - An Interruptible Algorithm Provider

- (H)uman (O)ver the (L)oop (A)nalytics
- Architecture
 - User Space
 - Interact with an analyst
 - Visualization system conveying model state
 - Convert user gestures and actions to machine readable 'system calls'
 - Kernel Space
 - Manage concurrent changes in data and model information
 - Store and manage raw data set
 - Return renderable model state to User Space

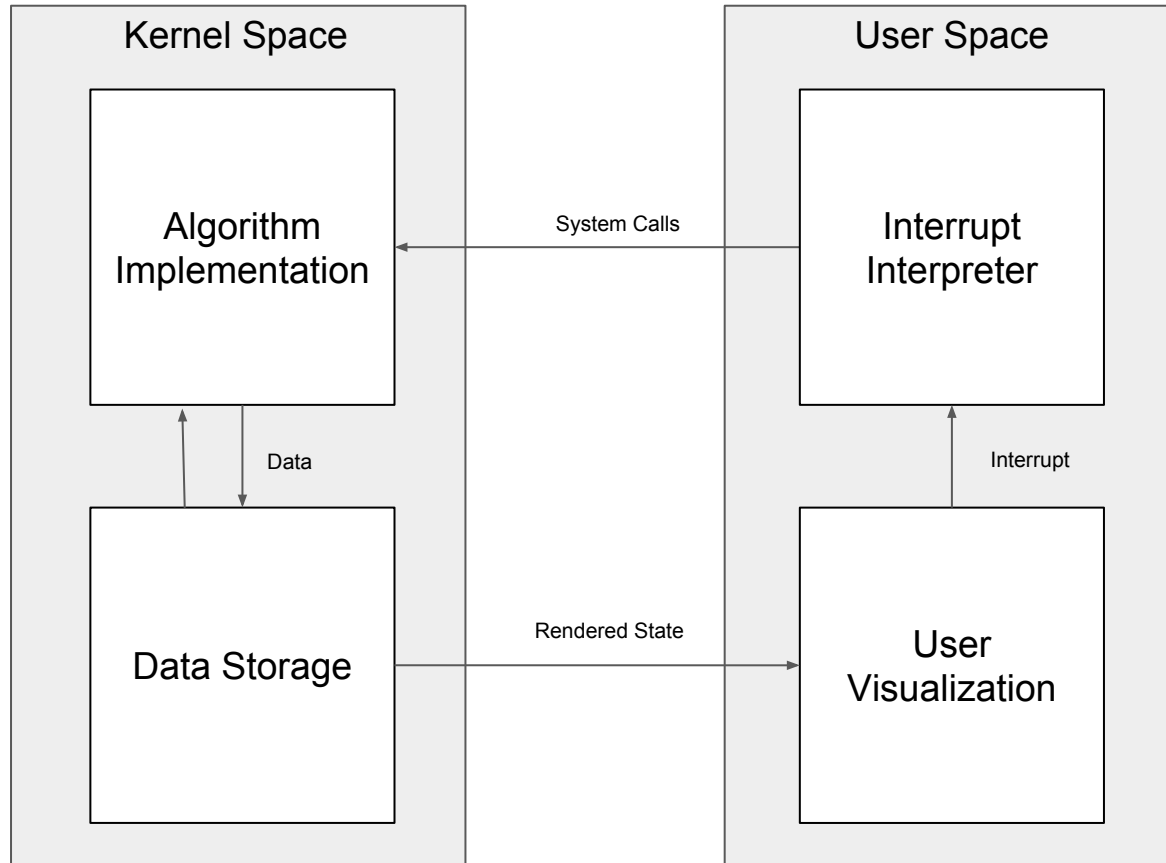


System Calls

- Atomic operations that make up interrupts
- Data Changes
 - Update a record
 - Remove a record
 - Add a record
- Data Model Changes
 - Update hyper parameter
 - Inspect model state
- Control Changes
 - Open connection
 - Close connection



Architecture



Interruptibility Example: KMeans Clustering

- KMeans Algorithm:
 - Initialize k clusters
 - Randomly assign points to each cluster
 - Calculate initial cluster centers
 - While a change has been made
 - Calculate closes cluster center to each point
 - Reassign the point to closest cluster
- Decisions to be made
 - What changes are interruptible?
 - Where should the interrupts happen?



KMeans Interruptibility Indices

- Complexity of KMeans = $O(nkI\theta)$
- Complexity of changing a single data point q used by KMeans = $O(\theta)$
- $I_{KMeans,q} = O(nkI\theta)/O(\theta) = nkI$
 - n, k, I are constants with respect to a data point
 - Interrupt is constant time
- Complexity of changing k hyper parameter in KMeans = $O(\theta)$
- $I_{KMeans,q} = O(nkI\theta)/O(\theta) = nkI$
 - n, I are constants with respect to k hyper parameter
 - Interrupt is linear time



Where to Interrupt

Listing 1 Sample KMeans Interruptible Implementation

```
@hola(data_points, K)
def find_centers(data_points, K):
    oldmu = random.sample(X, K)
    mu = random.sample(X, K)
    while not has_converged(mu, oldmu):
        oldmu = mu
        hola.interrupt()
        clusters = cluster_points(X, mu)
        mu = reeval_centers(oldmu, clusters)
    return(mu, clusters)
```



Summary

- Data mining and machine learning processes take significant amounts of time and are not adaptive to changing contexts
- Interactive and Anytime algorithms put the human in the loop to improve accuracy and time with significant tradeoffs
- Interruptible algorithms are designed to give the user the *option* to interactive with an algorithm with no penalties if he or she chooses not to do so.
- HOLA is a system designed to make use of an operating system architecture to manage the interrupts and visualization



Future Work

- What would a visualization system that adapts to various model and data states look like?
 - Buffering state for concurrent modification
- Incorporate git-like strategies for data experimentation
 - Branching data to allow for concurrent experiments that are independent
 - Merges and commits to persist successful changes'
- User studies
 - Analyst may not have prior knowledge of their data
 - Ensure visualization can communicate data and model state



References

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